

# Assessment of Transversal Deformations of Multi-Axial Woven Fabrics Stretched One-Directionally

## Abstract

The coefficient of the transversal deformation of woven fabrics while stretched one-directionally was determined by experiments. Three-axial fabrics, four-axial fabrics with homogeneous and inhomogeneous nets, and six-axial fabrics with an inhomogeneous net were the subjects of our investigation. Classical, two-dimensional fabrics with area masses of a similar order of magnitude were accepted for comparison. An analysis indicated that the transversal deformability of woven fabrics decreases with the increase in the number of thread systems.

**Key words:** multi-axial fabrics, thread systems, one-directional stretching, deformability of woven fabrics, homogeneous net, inhomogeneous net.

## Introduction

Classical woven fabrics, loaded multi-directionally, manifest clearly different properties in directions which do not correspond with the directions of warp and weft, compared with the properties in the corresponding directions. It has been demonstrated that multi-axial woven fabrics are characterised by a significantly higher directional uniformity of their mechanical properties [1 - 4]. This is why these fabrics are appropriate for use under conditions of multi-axial loads. Considering the safety of a construction working under hazardous conditions, it would be important to know the behaviour of multi-axial fabrics stretched one-directionally. The aim of our work was to discover to what degree the multidirectional fabrics are able to transmit one-directional loads, and how their structure would respond under such conditions. The deformation of the sample stretched can be the measure of the response of the multi-axial woven fabric's structure.

Three-axial fabrics, four-axial fabrics with homogeneous and inhomogeneous

Type of structure	Weave	Maximum relative cover factor -	Area mass, g/m <sup>2</sup>	Working-in of the particular thread systems, %
Three-axial	1/1	0.667	831	12.3;12.0;15.7
Four axial inhomogeneous	1/1	0.523	747	11.2; 40.1; 60.0; 10.4
Four axial homogeneous	1/1	0.458	632	15.4; 14.9; 17.2; 16.3
Six axial inhomogeneous	1/1	0.3	586	10.8; 11.8; 13.8; 10.9; 11.3; 16.4
1 <sup>st</sup> reference woven fabric compared with the four-axial homogeneous and the six-axial woven fabrics	1/1	0.93	606	9.4; 10.4
2 <sup>nd</sup> reference woven fabric compared with the four-axial inhomogeneous woven fabric,	1/1	0.98	713	7.6; 11.4
3 <sup>rd</sup> reference woven fabric compared with the three-axial woven fabric	1/1	0.99	841	13.8; 11.6

Table 1. Selected parameters of two- and multi-axial woven fabrics.

ous nets, and six-axial fabrics with inhomogeneous nets were the object of our investigation. All fabrics were manufactured with plain weave, of carded woollen threads with a linear density of 344 tex × 4 [5, 6]. The multi-axial woven fabrics were thickened to the maximum, which is why they were compared with classical woven fabrics which were also thickened maximally (see Table 1).

The fabrics were manufactured by hand, interlaced with the use of templates. The appropriate values of thread spacing were established by position marks. The fabrics were formed by the method of subsequent addition of the thread systems, and each thread was individually tensioned. The method accepted enabled us to obtain reproducible fabric structures for the given number of thread systems.

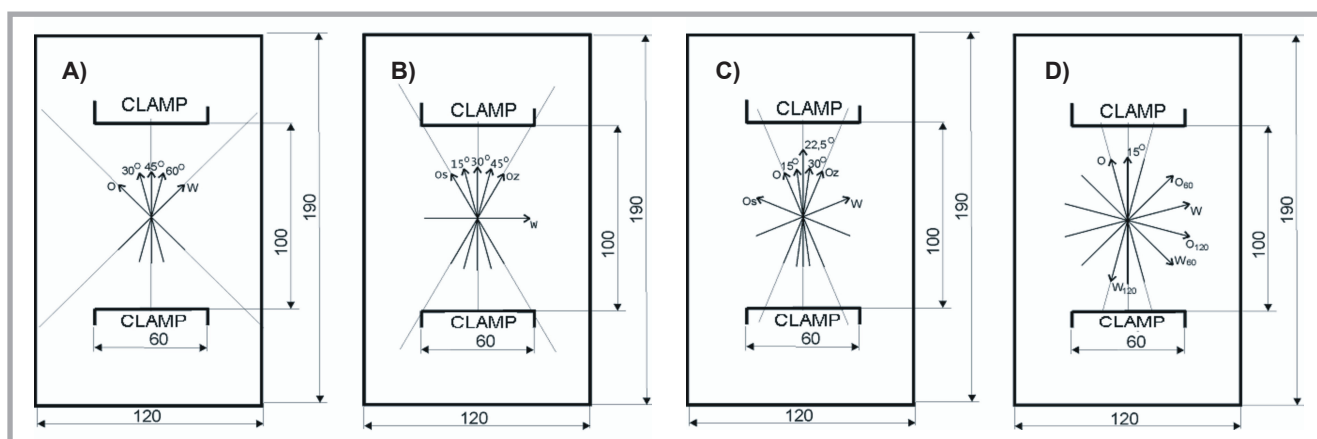
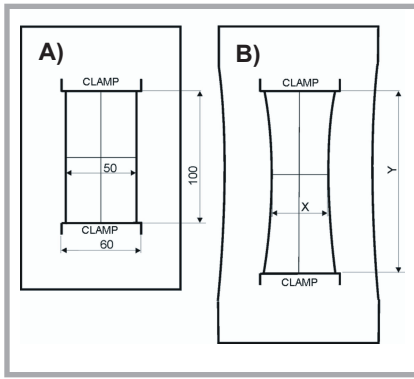


Figure 1. Sample dimensions and their orientations in the stretching directions: A) two-axial woven fabric, B) three-axial woven fabric, C) four-axial woven fabric, D) six-axial woven fabric.



**Figure 2.** A scheme of the estimation method of deformation of the woven fabric during stretching; A) sample with the dimensions 190 × 120 mm before stretching, B) sample during stretching; the sample surface is marked by a 50 mm wide rectangle.

## Research methods

The woven fabric's breaking strength  $P_{max}$ , in N, and the relative elongation of the fabric related to the maximum force  $\epsilon_{P_{max}}$ , in %, were assessed in accordance with standard PN-EN ISO 13934-1 [7], under the following measuring conditions:

- spacing of the tensile tester's clamps: 100 mm.
- stretching velocity: 100 mm/min, and
- initial load of the woven fabric: 5 N.

The sample length of 190 mm resulted from the accepted clamp spacing for the tensile tester, whereas the width of 120 mm which we used was greater than that provided by the used standard, for the following reasons:

- It was assumed that the samples should be stretched in the directions corresponding with the thread systems and in the intermediate directions. It may occur that a sample stretched in this way does not break, but the thread systems may be mutually displaced. This especially concerns two-axial woven fabrics, where during stretching in the direction of 45° in relation to warp, a situation arises where not all the threads are jammed at the same time in both the clamps.
- When simultaneously tearing the sample, deformations of the woven fabric were recorded by marking the fabric with a sign in the shape of a rectangle

of 50 mm width and length, equal to the spacing between clamps before stretching (100 mm).

The stretching directions for the particular kinds of fabrics are presented in Figure 1.

The stretching process was filmed together with a mark indicating loading, in the form of a light signal emitted at every 100 N of the stretching force. The photos were analysed, and the dimensions  $X$  and  $Y$  between the vertical and horizontal control lines were determined in pixels (Figure 2).

The perpendicular deformation of the woven fabrics while stretched one-directionally is characterised by the shape coefficient  $KP$ :

$$KP = X/P \quad (1)$$

where:

$X$  – the transversal dimension of the sample, i.e. vertical to the stretching direction,

$Y$  – the longitudinal dimension of the

**Table 2.** Shape coefficients  $KP$ , transversal deformability  $\Delta_i$ , and standard deviations of the three-axial woven fabric with area mass comparable to the area mass of the 3<sup>rd</sup> reference woven fabric.

Stretching direction (A)	Shape coefficients, transversal deformability, and standard deviations under stretching force $P_i$						
	$KP_0$ $\delta_{n-1}$	$KP_{100}$ $\delta_{n-1}$	$\Delta_{100}$ %	$KP_{300}$ $\delta_{n-1}$	$\Delta_{300}$ %	$KP_{P_{max}}$ $\delta_{n-1}$	$\Delta P_{P_{max}}$ %
0° *) warp $O_S$	0.497 0.004	0.430 0.009	13.5	0.383 0.005	22.9	0.303 0.021	39.0
15°	0.501 0.003	0.392 0.014	21.8	0.330 0.014	34.1	0.250 0.015	50.1
30°	0.493 0.003	0.357 0.030	27.6	0.298 0.008	39.7	0.196 0.008	60.2
45°	0.501 0.005	0.369 0.009	26.3	0.317 0.003	36.7	0.236 0.016	52.8
60° *) warp $O_Z$	0.501 0.007	0.433 0.013	13.6	0.403 0.009	19.6	0.334 0.018	33.3
120° *) weft	0.504 0.009	0.430 0.029	14.7	0.386 0.030	23.4	0.280 0.026	44.4

**Table 3.** Shape coefficients  $KP$ , transversal deformability  $\Delta_i$ , and standard deviations of the 3<sup>rd</sup> reference woven fabric.

Stretching direction (A)	Shape coefficients, transversal deformability, and standard deviations under stretching force $P_i$						
	$KP_0$ $\delta_{n-1}$	$KP_{100}$ $\delta_{n-1}$	$\Delta_{100}$ %	$KP_{300}$ $\delta_{n-1}$	$\Delta_{300}$ %	$KP_{P_{max}}$ $\delta_{n-1}$	$\Delta P_{P_{max}}$ %
0° warp *)	0.511 0.006	0.420 0.001	17.8	0.389 0.002	23.8	0.329 0.007	35.6
30°	0.513 0.001	0.318 0.008	38.0	0.244 0.016	52.4	0.164 0.009	68.0
45°	0.512 0.003	0.273 0.015	46.7	0.207 0.014	59.6	0.132 0.011	74.2
60°	0.505 0.006	0.291 0.008	42.3	0.213 0.006	57.8	0.157 0.006	68.9
90° weft *)	0.498 0.004	0.407 0.004	18.3	0.383 0.004	23.1	0.321 0.004	35.5

**Table 5.** Shape coefficients  $KP$ , transversal deformability  $\Delta_i$ , and standard deviations of the four-axial woven fabric with inhomogeneous net, and with area mass comparable to the area mass of the 2<sup>nd</sup> reference woven fabric.

Stretching direction (B)	Shape coefficients, transversal deformability, and standard deviations under stretching force $P_i$						
	$KP_0$ $\delta_{n-1}$	$KP_{100}$ $\delta_{n-1}$	$\Delta_{100}$ %	$KP_{300}$ $\delta_{n-1}$	$\Delta_{300}$ %	$KP_{P_{max}}$ $\delta_{n-1}$	$\Delta P_{P_{max}}$ %
0° *) warp	0.508 0.007	0.403 0.006	20.7	0.364 0.010	28.3	0.311 0.008	38.8
15°	0.506 0.006	0.390 0.003	22.9	0.330 0.006	34.8	0.264 0.003	47.8
22.5°	0.503 0.009	0.318 0.040	36.8	0.259 0.013	48.5	0.198 0.006	60.6
30°	0.504 0.008	0.347 0.004	31.2	0.285 0.060	43.5	0.231 0.006	54.2
45° *) warp $O_Z$	0.511 0.002	0.289 0.015	43.4	0.235 0.050	54.0	0.156 0.006	69.5
90° *) weft	0.504 0.005	0.415 0.003	17.7	0.389 0.012	22.8	0.328 0.005	34.9
-45° *) warp $O_S$	0.499 0.009	0.274 0.007	45.1	0.217 0.004	56.5	0.217 0.004	56.5

**Table 6.** Shape coefficients  $KP$ , transversal deformability  $\Delta_i$ , and standard deviations of the 2<sup>nd</sup> reference woven fabric.

Stretching direction (B)	Shape coefficients, transversal deformability, and standard deviations under stretching force $P_i$						
	$KP_0$ $\delta_{n-1}$	$KP_{100}$ $\delta_{n-1}$	$\Delta_{100}$ %	$KP_{300}$ $\delta_{n-1}$	$\Delta_{300}$ %	$KP_{P_{max}}$ $\delta_{n-1}$	$\Delta P_{P_{max}}$ %
0° –warp *)	0.511 0.007	0.403 0.005	21.1	0.377 0.006	26.2	0.338 0.010	33.9
30°	0.514 0.013	0.269 0.010	47.7	0.196 0.004	61.9	0.148 0.004	71.2
45°	0.502 0.008	0.232 0.010	53.8	0.173 0.009	65.5	0.118 0.006	76.5
60°	0.496 0.003	0.240 0.023	51.6	0.193 0.005	61.1	0.155 0.005	68.8
90° –weft *)	0.495 0.006	0.387 0.015	21.8	0.374 0.009	24.4	0.332 0.009	32.9

sample under action of the stretching force  $P$ .

A decrease in  $KP$  means that while the sample is stretched in the given direction  $Y$ , the transversal dimension  $X$  decreases more intensively in relation to the increase in its dimension in the direction of stretching ( $Y$ ).

The sample's susceptibility to deformation, i.e. the transversal deformability, can be expressed by the relation:

$$\Delta_i = 100\% - KP_i / KP_0 \cdot 100\% = (1 - KP_i / KP_0) \times 100\% \quad (2)$$

where:

$KP_i$  – the shape coefficient during stretching with force  $P_i$ , in N, where the index  $i$  indicates the value of force  $P$  in N,

$KP_0$  – the shape coefficient before stretching,

$\Delta_i$  – determines the decrease in percent of the sample's width during stretching with the given force  $P_i$ .

Three measurements of the parameters  $X$  and  $Y$  were carried out for each kind of the woven fabrics, each under the following three values of force  $i$ :  $P_1 = 100$  N,  $P_2 = 300$  N, and  $P_3 = P_{max}$ . The average values of the coefficients  $KP$  and the calculated transversal deformability  $\Delta_i$ , in percent are listed together with their standard deviations in Tables 2, 3, 5, 6, 8, 9, and 11, the results of statistic calculations in Tables 4, 7, 10, and 12, whereas the changes in  $\Delta_i$  for the particular stretching directions are presented by diagrams in Figures 3 – 9.

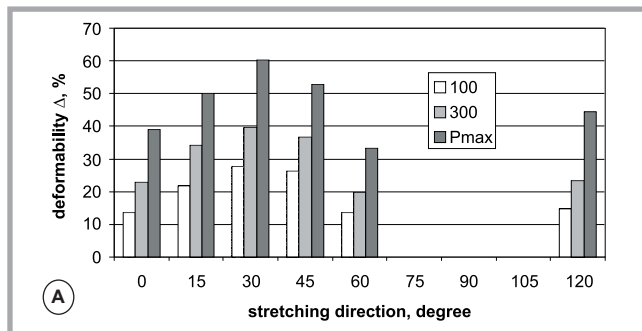
**Remark:** The designations in all tables are the same, and so they are only explained below; \*) indicates stretching in the direction of the thread axis of the particular system, stretching directions at variance with the thread directions we referred to as intermediate;  $P_{max}$  – breaking strength,  $\delta_{n-1}$  – standard deviation. 1) F-significance test for the difference of two variances: hypothesis  $H_0 : \delta_1^2 = \delta_2^2$ , where  $\delta_1^2$  and  $\delta_2^2$  are variants of the first and second sample test; if  $F_{\alpha} > F_{calc}$  then a ground exists for rejecting the hypothesis  $H_0$ . 2) T-Student significance test for the difference of two normal average values:  $H_0 : a_1 = a_2$ ; where  $a_1$  and  $a_2$  are average values of the sample tests; if  $t_{\alpha} > t_{calc}$  then no ground exists for rejecting the hypothesis  $H_0$ ; if  $t_{calc} > t_{\alpha}$ , then the hypothesis  $H_0$  is rejected, and we conclude that there is a significant difference between the average values of the sample tests at a significance level  $\alpha = 0.05$ .

**Table 4.** Statistic calculations for the three-axial and reference fabrics (sample size:  $n_1 = n_2 = 3$ ).

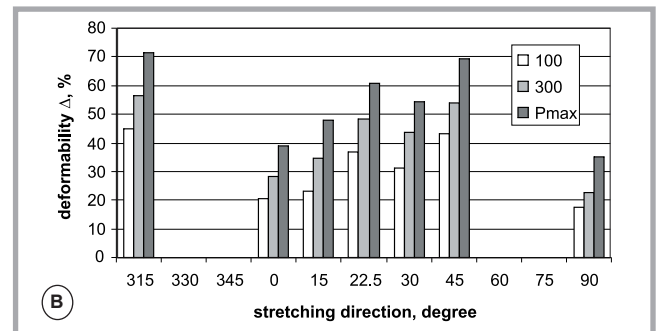
Woven fabric (stretching direction) (A)	Smallest value KP for intermediate directions under $P = 300$ , N; ( $\delta_{n-1}$ )	F-significance test for the difference of two variances 1)	t-Student significance test for the difference of two average values 2)
three-axial, (30°)	0.298 (0.008)	$F_{obl} = 3.0625$ $F_{\alpha} = 19.0$ dla $\alpha = 0.005$ difference statistical insignificant	$t_{obl} = 7.98$ $t_{\alpha} = 2.776$ dla $\alpha = 0.05$ difference statistical significant
3rd reference fabric, (45°)	0.207 (0.014)		

**Table 7.** Statistical calculations for the four-axial with inhomogeneous net and the reference fabrics (sample size:  $n_1 = n_2 = 3$ ).

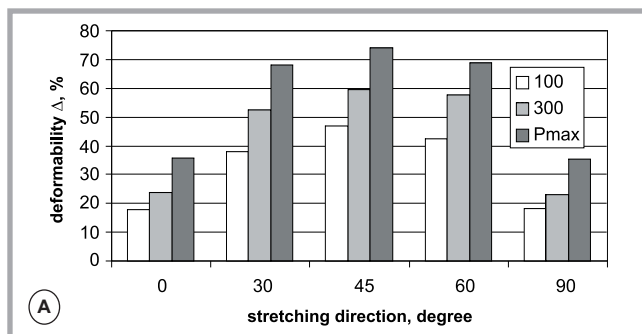
Woven fabric (stretching direction) (B)	Smallest value KP for intermediate directions under $P = 300$ , N; ( $\delta_{n-1}$ )	F-significance test for the difference of two variants 1)	t-Student significance test for the difference of two average values 2)
Four-axial fabric with inhomogeneous net (22.5°)	0.259 (0.013)	$F_{obl} = 2.086$ $F_{\alpha} = 19.0$ dla $\alpha = 0.05$ difference statistically insignificant	$t_{obl} = 7.692$ $t_{\alpha} = 2.776$ dla $\alpha = 0.05$ difference statistically significant
2nd reference fabric (45°)	0.173 (0.009)		



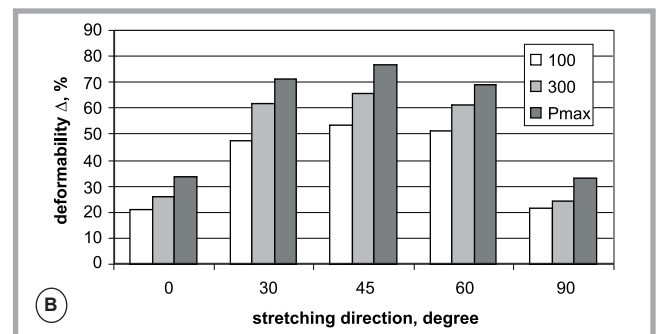
**Figure 3.** The transversal deformability of a three-axial woven fabric.



**Figure 5.** The transversal deformability of a four-axial woven fabric with inhomogeneous net.



**Figure 4.** The transversal deformability of the 3rd reference woven fabric.



**Figure 6.** The transversal deformability of the 2nd reference woven fabric.

**Table 8.** Shape coefficients KP, transversal deformability  $\Delta_i$ , and standard deviations of the four-axial woven fabric with homogeneous net, and with area mass comparable to the area mass of the 1<sup>st</sup> reference woven fabric.

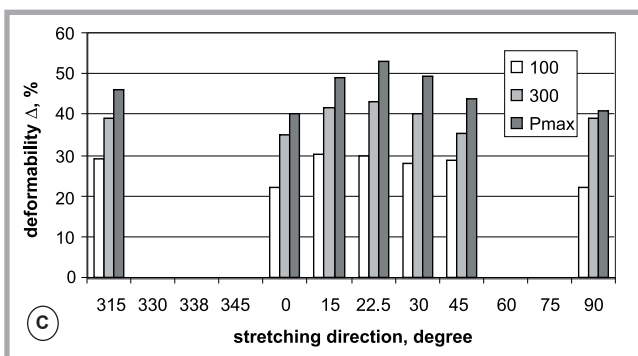
Stretching direction (C)	Shape coefficients, transversal deformability, and standard deviations under stretching force $P_i$						
	KP <sub>0</sub> $\delta_{n-1}$	KP <sub>100</sub> $\delta_{n-1}$	$\Delta_{100}$ [%]	KP <sub>300</sub> $\delta_{n-1}$	$\Delta_{300}$ [%]	KP <sub>Fmx</sub> $\delta_{n-1}$	$\Delta_{P_{mx}}$ [%]
0° warp *)	0.462 0.004	0.360 0.007	22.1	0.300 0.002	35.1	0.276 0.008	40.3
15°	0.495 0.003	0.346 0.006	30.2	0.289 0.003	41.5	0.202 0.007	49.0
22.5°	0.496 0.001	0.347 0.003	30.0	0.282 0.003	43.0	0.233 0.009	53.0
30°	0.484 0.002	0.348 0.005	28.0	0.290 0.006	40.0	0.245 0.008	49.3
45° warp O <sub>Z</sub> *)	0.504 0.002	0.360 0.004	28.6	0.325 0.008	35.5	0.284 0.005	43.7
90° weft *)	0.487 0.001	0.380 0.009	22.0	0.296 0.009	39.2	0.288 0.012	40.9
-45° warp O <sub>S</sub> *)	0.488 0.002	0.346 0.008	29.1	0.297 0.011	39.1	0.264 0.014	45.9

**Table 9.** Shape coefficients KP, transversal deformability  $\Delta_i$ , and standard deviations of the 2<sup>nd</sup> reference woven fabric.

Stretching direction (C)	Shape coefficients, transversal deformability, and standard deviations under stretching force $P_i$						
	KP <sub>0</sub> $\delta_{n-1}$	KP <sub>100</sub> $\delta_{n-1}$	$-\Delta_{100}$ [%]	KP <sub>300</sub> $\delta_{n-1}$	$-\Delta_{300}$ [%]	KP <sub>Pmax</sub> $\delta_{n-1}$	$-\Delta_{P_{max}}$ [%]
0° – warp *)	0.516 0.006	0.399 0.012	22.7	0.386 0.024	25.2	0.376 0.010	27.1
30°	0.496 0.001	0.215 0.001	56.7	0.170 0.001	65.7	0.144 0.012	71.0
45°	0.503 0.001	0.177 0.008	64.8	0.180 0.002	64.2	0.107 0.007	78.7
60°	0.521 0.003	0.238 0.029	54.3	0.176 0.024	66.2	0.139 0.019	73.3
90° – weft *)	0.508 0.001	0.385 0.010	24.2	0.394 0.014	22.4	0.379 0.032	25.4

**Table 10.** Statistical calculations for the four-axial with homogeneous net and the reference fabrics (sample size:  $n_1 = n_2 = 3$ ).

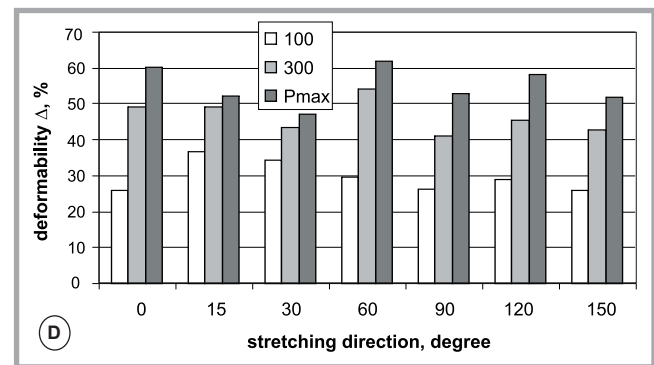
Woven fabric (stretching direction) (C)	Smallest value KP for intermediate directions under $P = 300, N; (\delta_{n-1})$	F-significance test for the difference of two variances <sup>1)</sup>	t-Student significance test for the difference of two average values <sup>2)</sup>
Four-axial fabric with homogeneous net (22.5°)	0.282 (0.003)	$F_{obl} = 11.4$ $F_{\alpha} = 19.0$ dla $\alpha = 0.05$ difference statistically insignificant	$t_{obl} = 15.135$ $t_{\alpha} = 2.776$ dla $\alpha = 0.05$ difference statistically significant
1st reference fabric (30°)	0.170 (0.001)		



**Figure 7.** The transversal deformability of a four-axial woven fabric with homogeneous net.

**Table 11.** Shape coefficients KP, transversal deformability  $\Delta_i$ , and standard deviations of the six-axial woven fabric with inhomogeneous net, and with area mass comparable to the area mass of the 1<sup>st</sup> reference woven fabric.

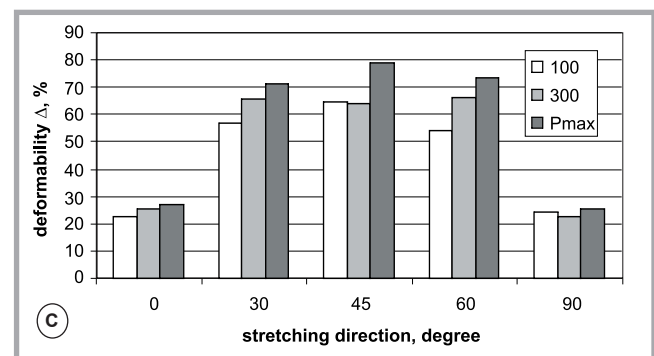
Stretching direction (D)	Shape coefficients, transversal deformability, and standard deviations under stretching force $P_i$						
	KP <sub>0</sub> $\delta_{n-1}$	KP <sub>100</sub> $\delta_{n-1}$	$\Delta_{100}$ [%]	KP <sub>300</sub> $\delta_{n-1}$	$\Delta_{300}$ [%]	KP <sub>Fmax</sub> $\delta_{n-1}$	$\Delta_{F_{max}}$ [%]
0° *) warp	0.496 0.007	0.368 0.009	25.8	0.252 0.002	49.2	0.195 0.006	60.1
15°	0.492 0.006	0.312 0.002	36.6	0.251 0.007	49.0	0.235 0.003	52.2
30° *) weft, w <sub>120</sub>	0.494 0.010	0.324 0.009	34.4	0.280 0.010	43.3	0.261 0.026	47.1
60° *) warp, O <sub>60</sub>	0.503 0.006	0.354 0.007	29.6	0.230 0.029	54.3	0.191 0.012	62.0
90° *) weft	0.490 0.002	0.361 0.009	26.3	0.289 0.003	41.0	0.231 0.021	52.8
120° *) warp, O <sub>120</sub>	0.495 0.009	0.351 0.007	29.1	0.270 0.005	45.4	0.206 0.021	58.3
150° *) weft, w <sub>60</sub>	0.492 0.001	0.365 0.012	25.8	0.281 0.018	42.9	0.237 0.023	51.8



**Figure 9.** The transversal deformability of a six-axial woven fabric.

**Table 12.** Statistical calculations for the six-axial woven fabric and the reference fabric (sample size:  $n_1 = n_2 = 3$ ).

Woven fabric (stretching direction) (D)	Smallest value KP for intermediate directions under $P = 300, N; (\delta_{n-1})$	F-significance test for the difference of two variances <sup>1)</sup>	t-Student significance test for the difference of two average values <sup>2)</sup>
warp O <sub>60</sub> (60°)	0.230 (0.029)	$F_{obl} = 17.16$ $F_{\alpha} = 19.0$ $\alpha = 0.05$ difference statistically insignificant	$t_{obl} = 0.996$ $t_{\alpha} = 2.776$ $\alpha = 0.05$ difference statistically insignificant
intermediate direction (15°)	0.285 (0.007)		



**Figure 8.** The transversal deformability of the 1<sup>st</sup> reference woven fabric.



### Test results of the three-axial woven fabric

The results are presented in Tables 2, 3, & 4, and Figures 3 & 4, marked (A).

We defined the following features for the three-axial and two-axial comparable woven fabrics (Tables 2 and 3):

- a smaller transversal deformability, when the fabric was stretched in directions in accordance with the thread axes than when stretched in the intermediate directions;
- the differences between the transversal deformability in the directions of the thread axes and the intermediate directions were higher in the case of the two-axial fabric.

The significance of the differences was confirmed by the t-Student test (Table 4).

Summarising the results obtained, we can state that the deformabilities of a three-axial woven fabric in the direction vertical to the direction of stretching are smaller than those of a classical woven fabric with comparable area mass.

### Test results of the four-axial woven fabric with inhomogeneous net

The results are presented in Tables 5, 6, & 7, and Figures 5 & 6, marked (B).

The relatively small values of  $KP_i$ , which means high transversal deformability  $\Delta$  when stretching a four-axial woven fabric with an inhomogeneous net in the directions  $Ox$  and  $Oz$ , are probably the result of the high working-in values of these systems. This situation is not correct; in fact it results from the interlacing of the woven fabric by hand, which does not allow an identical preliminary tension of all thread systems to be maintained.

The four-axial woven fabric with inhomogeneous net is less susceptible to transversal deformations than a two-axial fabric. As in the case of the three-axial fabric, for the four- and two-axial woven fabrics the smallest values of  $KP$  under stretching force of  $P = 300$  N were compared for the intermediate directions. These differences are statistically significant (Table 7).

### Test results of the four-axial woven fabric with homogeneous net

The results are presented in Tables 8, 9, & 10, and Figures 7 & 8, marked (C).

The average values of the coefficients  $KP$  and  $\Delta$  are listed in Tables 8 and 9 (for the reference fabric), and presented as diagrams in Figures 7 and 8 (for the

reference fabric). The values of the transversal deformability  $\Delta$  when stretching the woven fabric in the directions of the thread axis are significantly more uniform than those of the fabric with the inhomogeneous net. The results indicate explicitly that the structure of the woven fabric with the homogeneous net secure a more uniform transversal deformability (compared with a two-axial fabric) for the stretching directions in accordance with the thread axes and the intermediate directions.

As for the pairs of woven fabrics previously compared, it was next determined for the four-axial woven fabric and its two-axial reference item that the differences (under  $P = 300$  N) between the smallest values of  $KP$  for intermediate directions are statistically significant (Table 10). This means that this four-axial fabric is also less susceptible to transversal deformations than the two-axial fabric.

### Test results of the six-axial woven fabric

The results are presented in Tables 11 & 12, and Figures 9, marked (D).

The average values of the coefficients  $KP$  and  $\Delta$  are listed in Tables 11 and 9 (for the reference fabric), and presented as diagrams in Figure 9. The result of the statistic difference estimation is presented in Table 12.

The six-axial woven fabric is characterised by high uniformity of the deformability while stretching in the directions of all thread systems (Table 11) With the increase in the stretching force, the differences between the transversal deformability  $\Delta$  in the directions of the thread axes and the intermediate direction of 15 degree decrease. At the highest deformation, which occurs under the force value of  $P = 300$  N, the difference between the smallest  $KP$  value longitudinal to the thread system, and the value for the intermediate direction, resulted as statistically insignificant. This indicates a relatively high uniformity of the six-axial woven fabric's deformability while compared with fabrics with a smaller number of axes.

### Summary

The research results obtained allow us to formulate the following statements:

- The differences in the deformability of multi-axial woven fabrics along the main and the intermediate directions, within the range of stretching forces investigated, are smaller than for the

two-axial reference fabrics.

- For the three-axial woven fabric, these differences, although distinct, are statistically insignificant (for  $\alpha = 0.05$ ).
- For the four-axial woven fabrics, these differences are statistically significant.
- In the case of the six-axial woven fabric, the statistical test was not used, as only one intermediate stretching direction was accepted; but the level of the deformability differences is definitively the smallest among all the woven fabrics tested.

To summarise the considerations described above, on the basis of the experiments carried out we can state that the degree of the transversal deformability of multi-axial woven fabrics stretched one-directionally in the directions of the thread axes, as well as in the intermediate directions, is smaller than for two-axial woven fabrics with comparable area masses.

### Acknowledgment

This work was carried out as part of the grant entitled 'Programmable designing of the degree of tensile strength isotropy of flat woven structures', financially supported by the Polish Ministry of Science and Information Society Technologies over the period of 2000 – 2002.

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Received 29.11.2005 Reviewed 19.01.2006